

Azimuthal Anisotropies in Pb+Pb Collisions at $\sqrt{s_{NN}} = 5.5$ TeV

Monte Carlo Studies:

**Part I: Analysis of Generated HIJING Events with the
Elliptic Flow Afterburner – DONE**

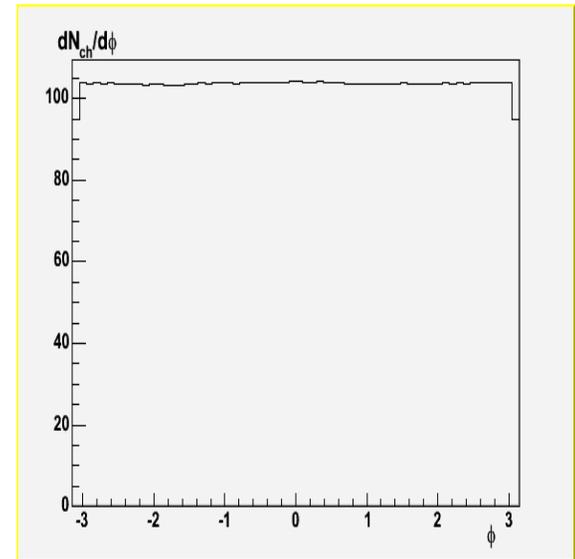
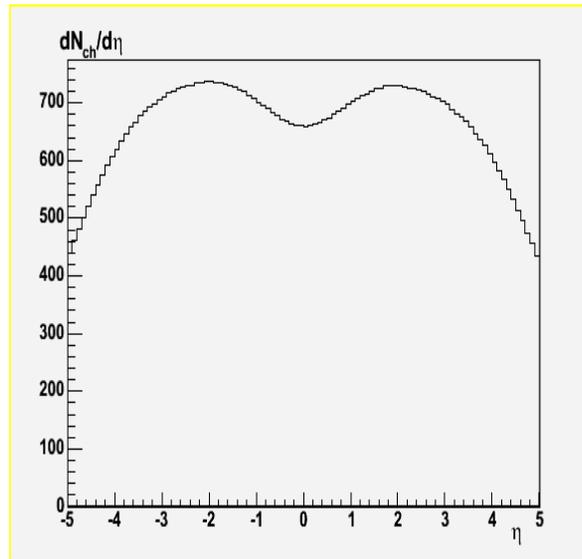
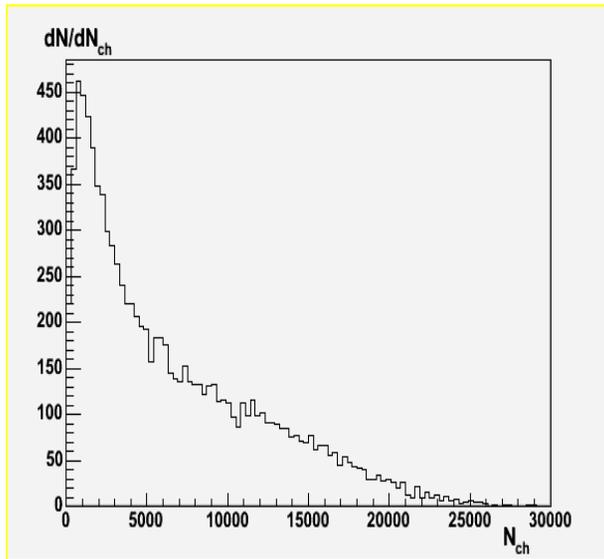
**Part II: Analysis of Simulated Events with the
ATLAS Detector Response – IN WORK**

HIJING Generated Events

10,000 Pb+Pb events
 $b=10-15$ fm (49.6% of σ_{inel})

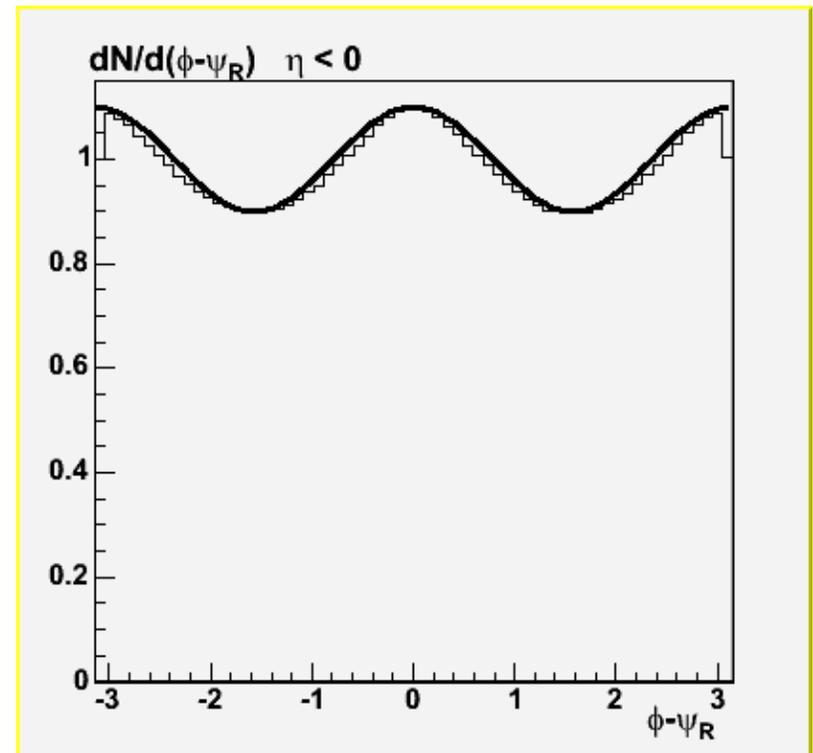
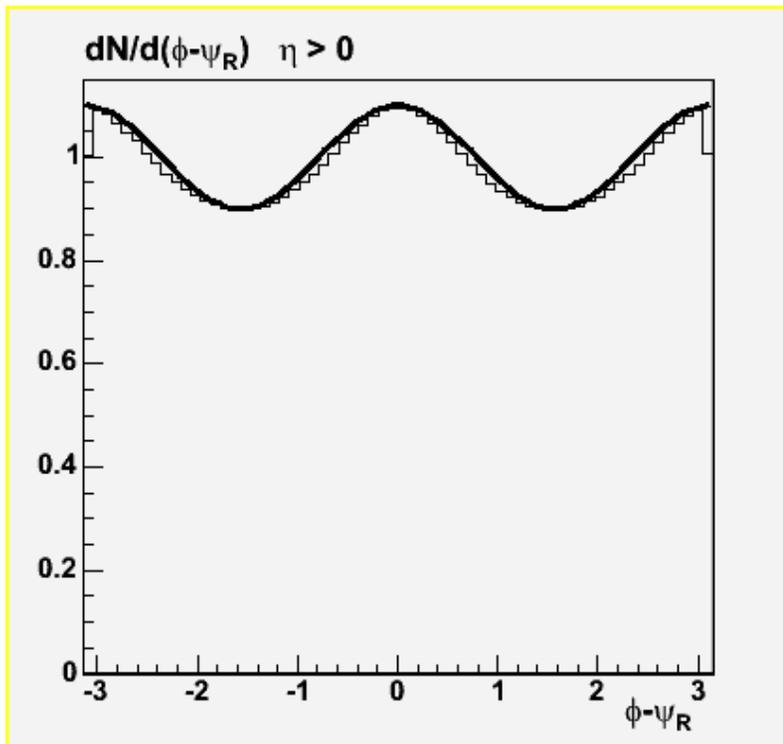
$$\langle N_{ch}(|\eta| < 5) \rangle = 6618 \pm 56$$

A broad centrality selection: N_{ch} varies from ~ 20 up to 30000



HIJING + Flow Afterburner

Input Flow: $v_1 = 0$
 $v_2 = 0.05$ $\text{const}(N_{\text{ch}}, \eta, y, p_T)$

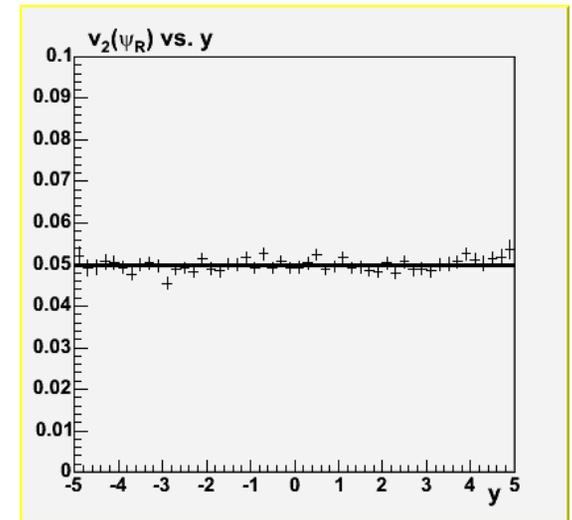
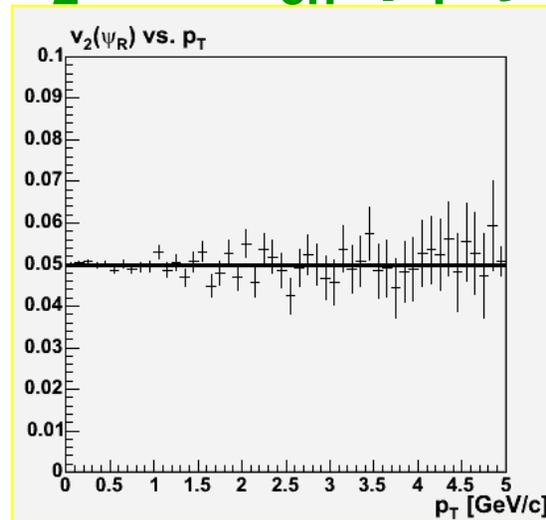
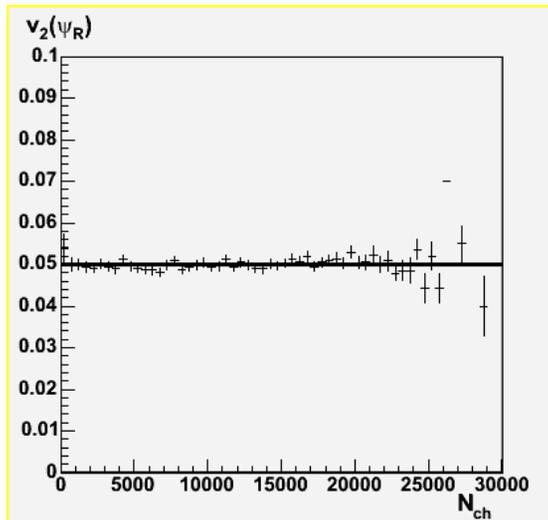


Elliptic Flow from the True Reaction Plane

Average over all events:

$$\langle v_2 \rangle = \frac{1}{N_{\text{ev}}} \sum_{\text{ev}} \frac{1}{N_{\text{ch}}} \sum_{i=1}^{N_{\text{ch}}} \cos[2(\phi_i - \psi_R^{\text{ev}})] = 0.04996 \pm 0.00028$$

v_2 vs. N_{ch} , p_T , y :



Estimate of the Reaction Plane

- In the experimental data ψ_R is not known,
- It can be approximated by the Event Plane, ψ_2

Calculate event-by-event:

$$\psi_2 = 0.5 \cdot \tan^{-1} \left(\frac{\sum \sin(2\phi_i)}{\sum \cos(2\phi_i)} \right), \quad i = 1, \dots, N_{ch}$$

Correlation of every particle with the reaction plane induces correlations between particles.

But: $v_2(\psi_2) < v_2(\psi_R)$

- Well known effect, due to the finite number of particles
- Disappears after Resolution Correction

Event Plane Resolution Correction

Define the two equal multiplicity sub-events:

N - negative sub-event

$$-2 < \eta < -0.2$$

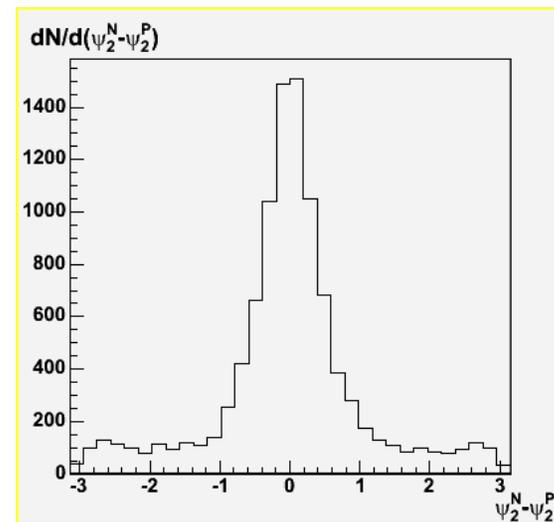
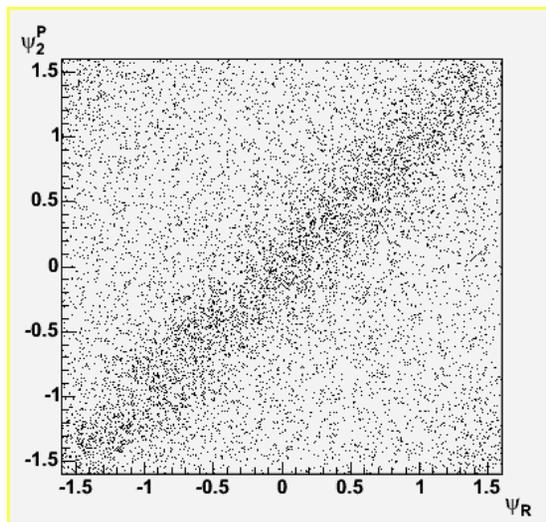
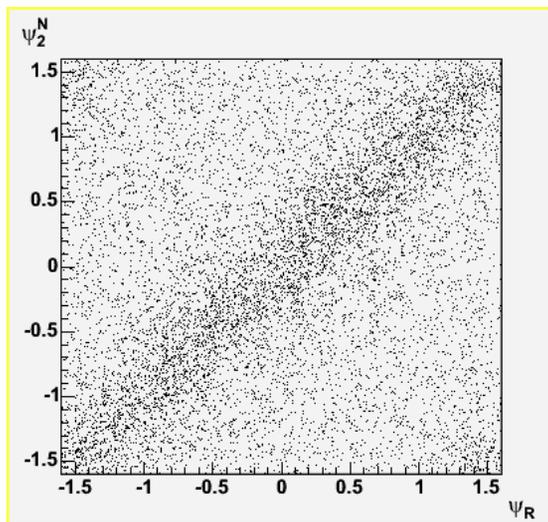
P - positive sub-event

$$0.2 < \eta < 2$$

Calculate: ψ_2^N

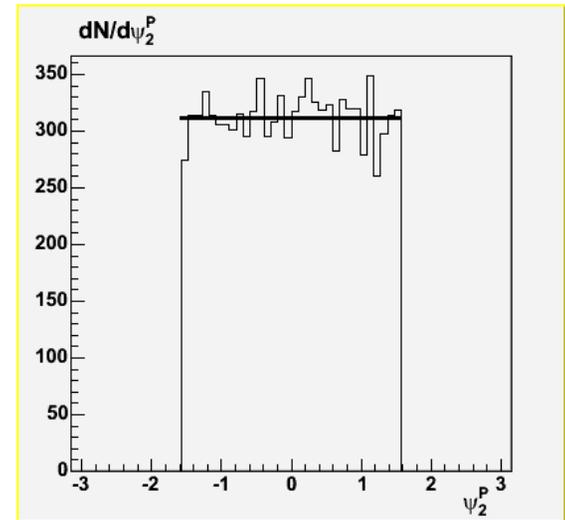
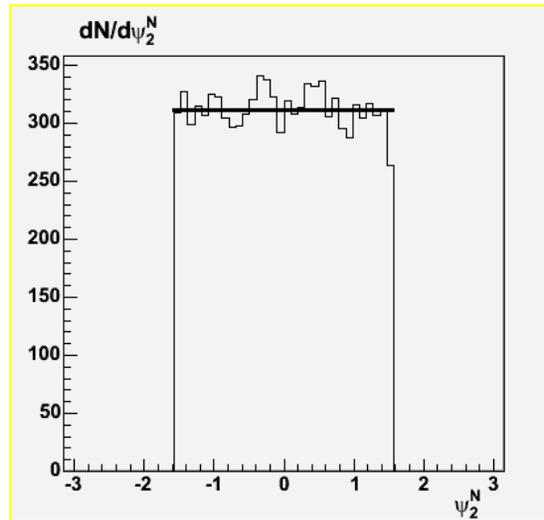
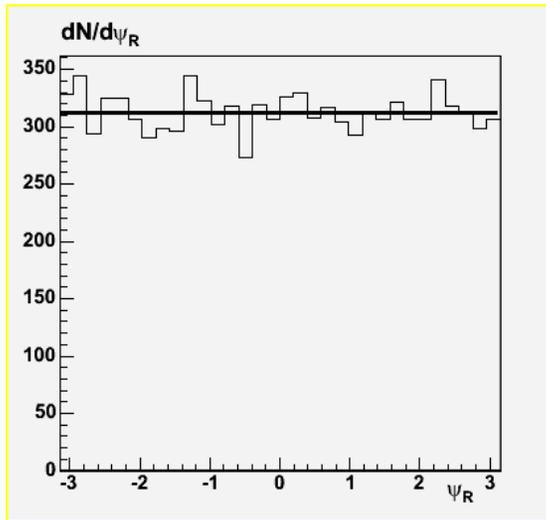
ψ_2^P

Check correlations with ψ_R



Event Plane Resolution Correction

Check uniformity of the event plane distribution



Event Plane Resolution: $\text{Res} \equiv \langle \cos[2(\psi_2^N - \psi_2^P)] \rangle$

Resolution Corrected v_2 :

$$v_2^{\text{Res.Corr.}} = v_2(\psi_2) / \sqrt{\text{Res}}$$

Elliptic Flow from the Event Plane

To avoid autocorrelations:

use ψ_2^N to calculate $v_2(\eta \geq 0)$

use ψ_2^P to calculate $v_2(\eta < 0)$

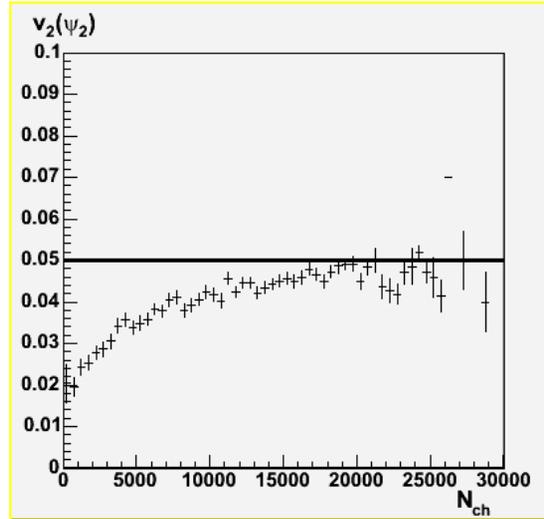
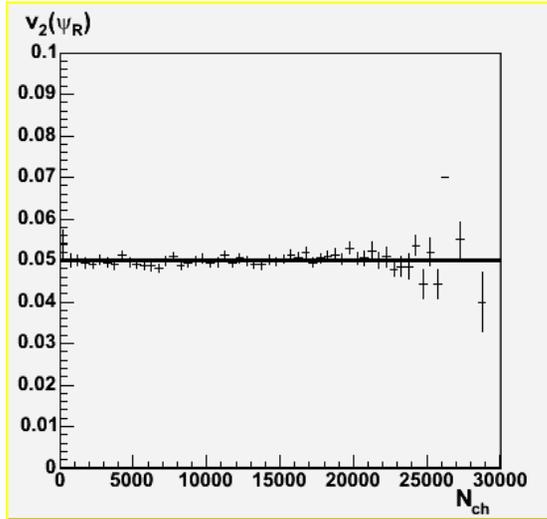
The procedure works well in average:

$$\langle v_2(\psi_R) \rangle = 0.04996 \pm 0.00028$$

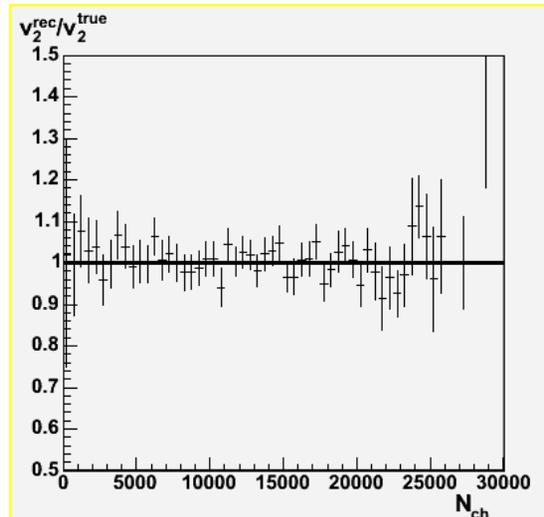
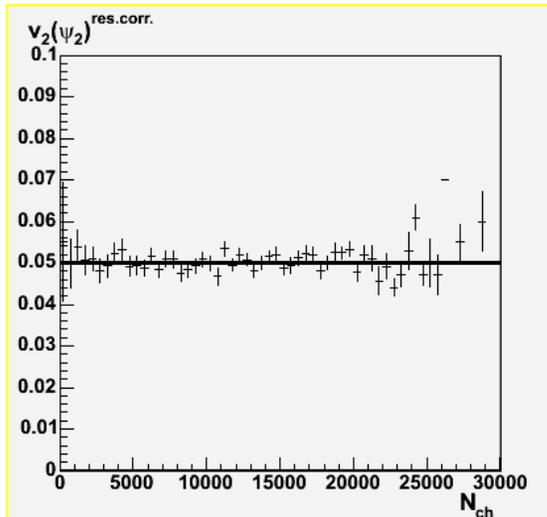
$$\langle v_2(\psi_2) \rangle = 0.03414 \pm 0.00039$$

$$\langle v_2^{\text{Res.Corr.}}(\psi_2) \rangle = 0.05076 \pm 0.00091$$

$v_2(N_{ch})$ – Centrality Dependence



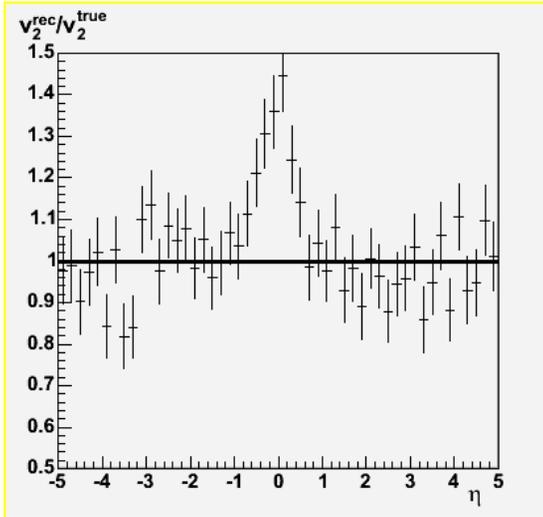
Must use:
Res(N_{ch})



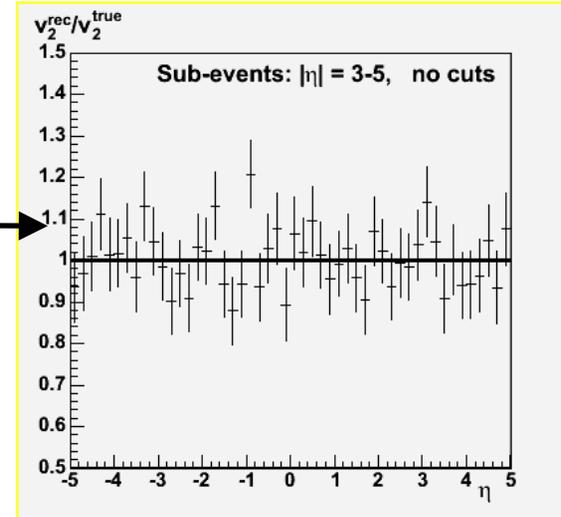
Resolution Correction
depends
on centrality (N_{ch})

$v_2(\eta)$ – Different Choice of Sub-events

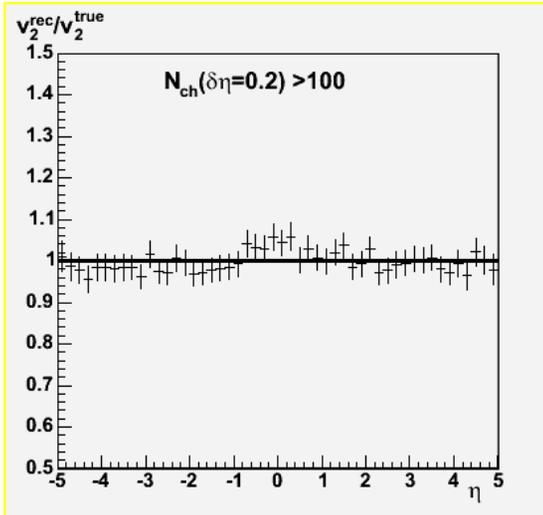
Sub-events: $|\eta|=0.2 - 2$



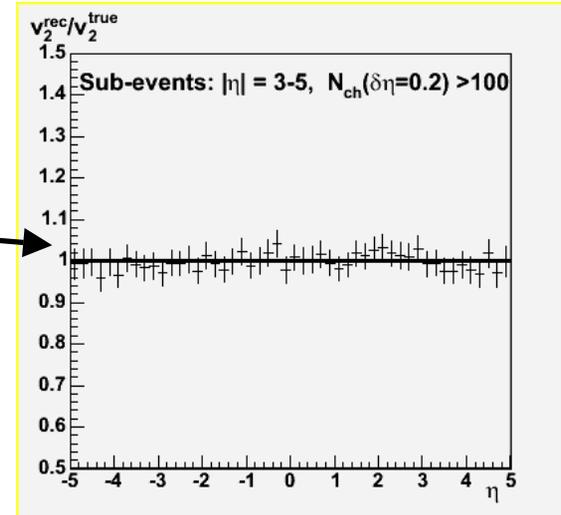
Sub-events: $|\eta|=3 - 5$



← All events →



← $N_{\text{ch}}(\delta\eta=0.2) > 100$ →



Summary of Part I

In an ideal situation:

(well defined particles, no backgrounds, no acceptance cracks)

- **Procedure of approximating the Reaction Plane by the Event Plane works well**
- **Event Plane resolution correction should be determined as a function of centrality**
- **Well separated sub-events have to be used in order to get rid of the short-range correlations**

Part II: Analysis of Simulated Events

- **Flow Reconstruction in Si ID and Calorimeters**
(Andrzej Olszewski)

Prepared data summary trees with:

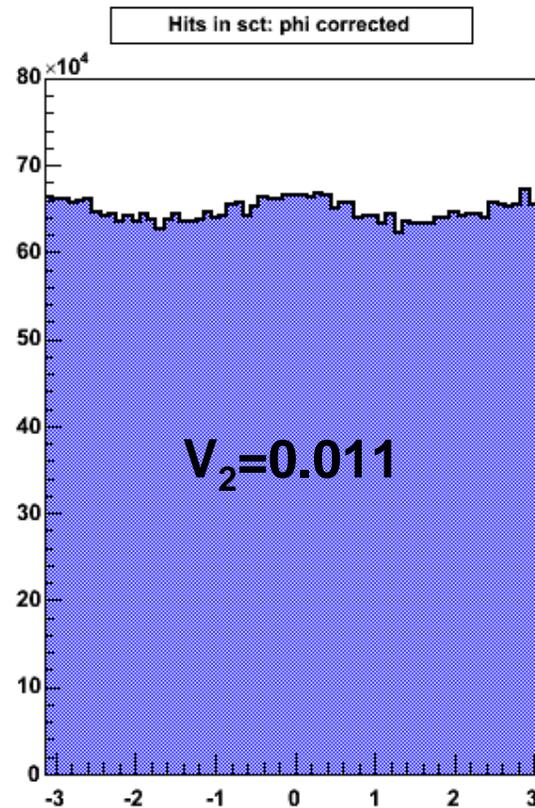
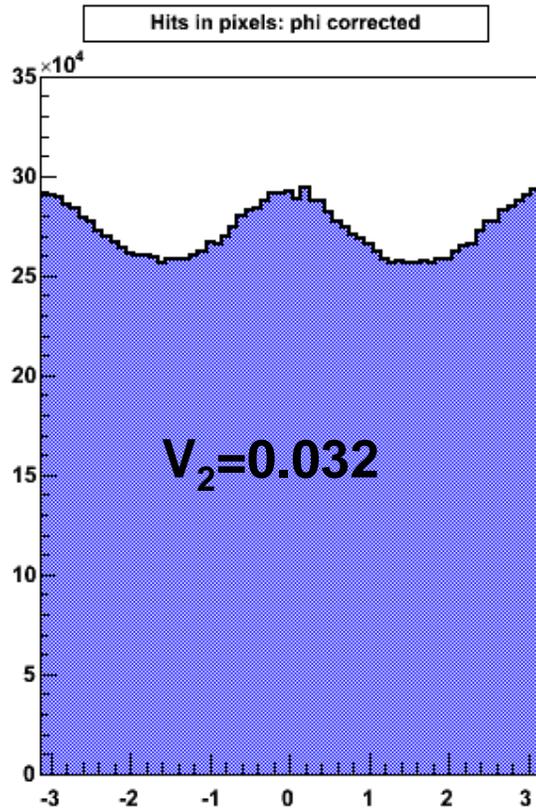
- hits in silicon pixels
- energy in calorimeters
- combined energy in calorimeters

Looked at raw flow signal calculated from:

- position of hits in silicon pixels
- Energy weighted position of hits in calorimeters

Using the true reaction plane!

Flow Pattern in Silicon



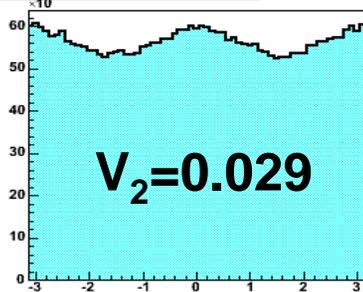
Sample: 1000 events
Flow $v_2 = 0.05$

Plot:
for Pixels (left)
for SCT (right)

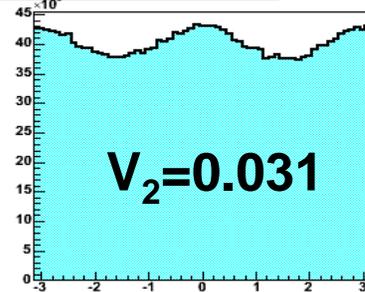
No of hits ($\phi - \psi_R$)

Flow Pattern in Calorimeters

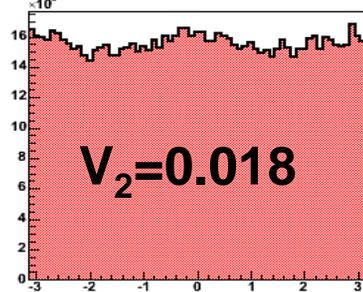
Hits in em barrel: phi corrected



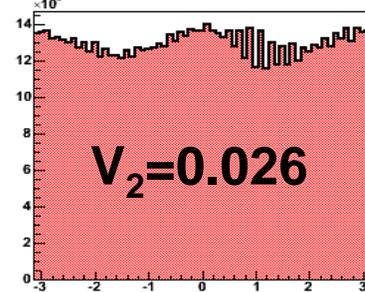
Hits in em endcap: phi corrected



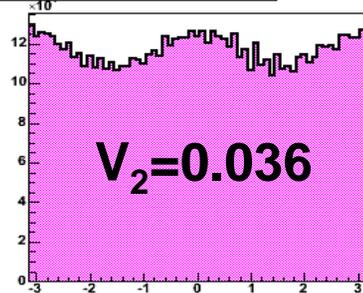
Hits in hadron barrel: phi corrected



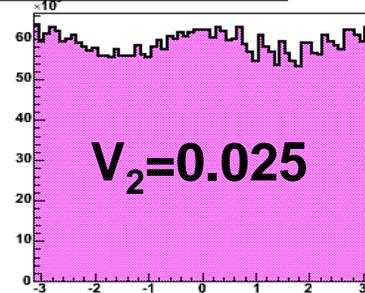
Hits in hadron endcap: phi corrected



Hits in em forward: phi corrected



Hits in had forward: phi corrected



Sample: 1000 events
Flow $v_2 = 0.05$

Plots:

EM Barrel (left), Endcap (right)
HAD Barrel (left), Endcap (right)
FWD EM (left), Had (right)

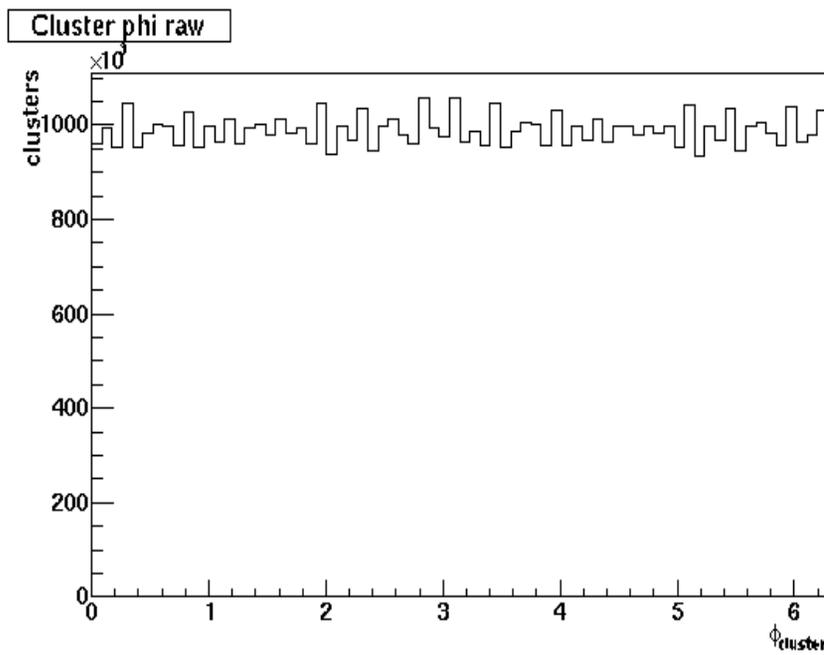
Energy of hits ($\phi - \psi_R$)

Results from Reconstructed Clusters

- **Results for 10000 HIJING events with artificially inserted flow (Krzysztof Woźniak)**

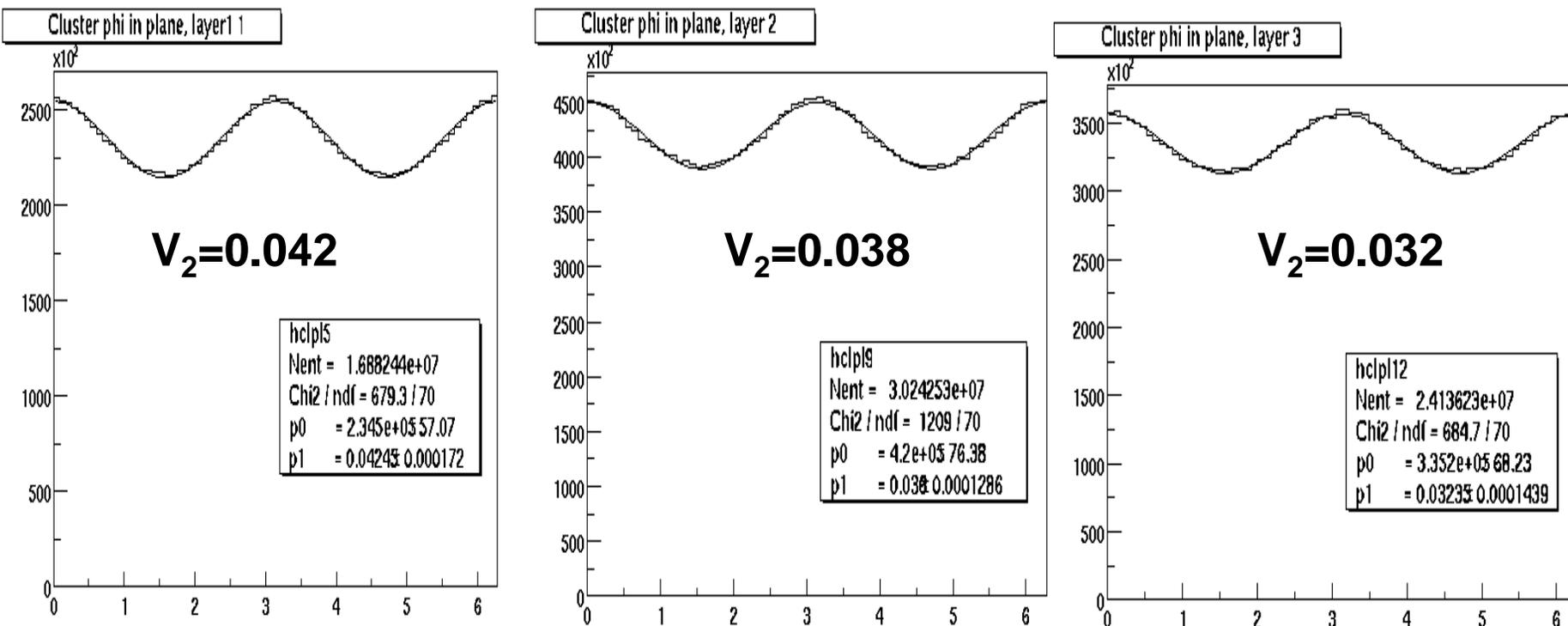
Algorithm of cluster reconstruction was applied for digitized data from Si pixel layers.

Raw distribution of phi angle for clusters is flat, has relatively large fluctuations due to digitized positions (set to center of the pixel)



Flow Pattern in Reconstructed Clusters

Distribution of ϕ of the clusters relative to the **true reaction plane** clearly shows flow effects.



To do: Flow from the event plane.